ERRATUM

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January 28, 2025 deletions are shown in red, and additions/replacements in green

- ☞ p. 23, formula (1.2.24) and the following displayed formula: in the direct sums, replace the lower summation index " $\bigoplus_{m=1}^{\infty}$ " by " $\bigoplus_{m=0}^{\infty}$ "
- p. 30, formula (2.1.6): in the second integral, replace " $d\sigma$ " by "ds"
- ▶ **p. 43, formula (2.2.3):** in the left-hand side, add a missing f to get $||D_{te_k}f||$
- Image p. 66, 3 lines below formula (3.2.3): remove the word from "real domain analyticity"
- p. 81, line -1, and p. 82, line 1: in both places, replace " $N^{D}(\lambda)$ " by " $\mathcal{N}^{D}(\lambda)$ "
- **pp. 104–105:** as stated, Theorem 4.1.11 can be found in [Kin21, Corollary 4.31]. However, in the proof of Theorem 4.1.6 we in fact use a version from [HeiKilMar93, Theorem 4.5], which is formulated slightly differently:

Theorem 4.1.11'. Let Ω be an open subset of \mathbb{R}^d . Then the function $u \in H^1(\Omega)$ belongs to $H^1_0(\Omega)$ if and only if there exists a quasi-continuous function w on \mathbb{R}^d such that w(x) = 0 quasi-everywhere outside Ω and w(x) = u(x) almost everywhere in Ω .

In the proof of Theorem 4.1.6 (which remains unchanged), we have $u|_{\Omega_1} \in H^1(\Omega_1)$, and we construct a quasi-continuous w such that w(x) = 0 quasieverywhere outside Ω_1 and w(x) = u(x) almost everywhere in Ω_1 . Thus $u|_{\Omega_1} \in H^1_0(\Omega_1)$ by Theorem 4.1.11' given above.

We thank R. L. Frank for pointing this out to us.

- IS **p. 105, line -3:** missing subscript in "Since $\psi_i \in H_0^1(\Omega_i)$ "
- ▶ **p. 225, line following formula (7.1.15):** add the words "on any surface of genus zero with boundary"
- p. 253, line above formula (7.4.1): replace " $u \in H^{1/2}(\Omega)$ " by " $u \in H^{1/2}(M)$ "
- **p. 254, Definition 7.4.1:** replace " \mathcal{D}_{Λ} : $H^{1/2}(\Omega) \to H^{-1/2}(\Omega)$ " by " \mathcal{D}_{Λ} : $H^{1/2}(M) \to H^{-1/2}(M)$ "